

Paper 1

Marks: 150

Time: 3 hours

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Question 1

1.1 Solve for  $x$ :

1.1 Los op vir  $x$ :

1.1.1  $(x + 2)(3x - 7) = 0$

1.1.1  $(x + 2)(3x - 7) = 0$  (2)

1.1.2  $x^2 - 5x = 2$  (Correct to TWO decimal places)

1.1.2  $x^2 - 5x = 2$  (Korrekt tot TWEE desimale plekke) (4)

1.1.3  $\sqrt{x - 3} - 4 = 5$

1.1.3  $\sqrt{x - 3} - 4 = 5$  (4)

1.1.4  $2x^2 - 7x - 4 \geq 0$

1.1.4  $2x^2 - 7x - 4 \geq 0$  (4)

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Vraag 1

Memo: 19; 20

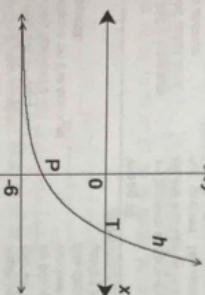


- 6.2 Calculate the  $x$ - and  $y$ -intercepts of  $f$ .  
 6.3 Sketch the graph of  $f$ . Show clearly the intercepts with the axes and the asymptotes.

- 6.4 If  $y = x + k$  is an equation of the line of symmetry of  $f$ , calculate the value of  $k$ .

**Question 7****Vraag 7**

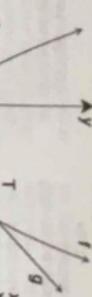
- Given:  $h(x) = a \cdot 2^{x-1} + q$ . The line  $y = -6$  is an asymptote to the graph of  $h$ .  $P$  is the  $y$ -intercept of  $h$  and  $T$  is the  $x$ -intercept of  $h$ .



Gegee:  $h(x) = a \cdot 2^{x-1} + q$ . Die lyn  $y = -6$  is 'n asymptoot van die grafiek van  $h$ .  $P$  is die  $y$ -asintoot van  $h$  en  $T$  is die  $x$ -asintoot van  $h$ .

- 6.4 Indien  $y = x + k$  'n vergelyking van die lyn van simmetrie van  $f$  is, bepaal die waarde van  $k$ .

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**Vraag 8****Vraag 8**

- 8.1 Write down the coordinates of  $C$ .  
 8.2 Determine the equation of  $f$  in the form  $y = x^2 + bx + c$ .  
 8.3 Calculate the range of  $f$ .  
 8.4 Calculate the equation of  $g$  in the form  $y = mx + c$ .  
 8.5 For which values of  $x$  will:

- 8.5.1  $f(x) \geq 0$       8.5.1  $f(x) \geq 0$   
 8.5.2  $\frac{f(x)}{g(x)} > 0$       8.5.2  $\frac{f(x)}{g(x)} > 0$   
 8.5.3  $x \cdot f(x) > 0$       8.5.3  $x \cdot f(x) > 0$   
 8.6 For what values of  $p$  will  $x^2 - 2x = p$  have non-real roots?      8.6 Vir watter waardes van  $p$  sal  $x^2 - 2x = p$  nie-reële wortels hé?

- 8.7  $T$  is a point on the  $x$ -axis such that  $TM \perp x$ -axis.  $TM$  intersects  $g$  at  $P$ . Calculate the maximum length of  $PM$ .      8.7  $T$  is 'n punt op die  $x$ -as en  $M$  is 'n punt op  $f$  sodanig dat  $TM \perp x$ -as.  $TM$  sny  $f$  by  $P$ . Bepaal die maksimum lengte van  $PM$ .

- 7.1 Write down the value of  $q$ .  
 7.2 If the graph of  $h$  passes through the point  $(-1; -5\frac{1}{4})$ , calculate the value of  $a$ .  
 7.3 Calculate the average gradient between the  $x$ -intercept and the  $y$ -intercept of  $h$ .

- 7.4 Determine the equation of  $\rho$  if  $\rho(x) = h(x - 2)$  in the form  $\rho(x) = a \cdot 2^{x-1} + q$ .

**Vraag 8****Vraag 8**

- 7.5 Bereken die gemiddelde gradient tussen die  $x$ -asintoot en die  $y$ -asintoot van  $h$ .  
 7.6 Bepaal die vergelyking van  $\rho$  indien  $\rho(x) = a \cdot 2^{x-1} + q$ .  
 7.7 Bereken die gemiddelde gradient tussen die  $x$ -asintoot en die  $y$ -asintoot van  $h$ .  
 7.8 Bepaal die vergelyking van  $\rho$  indien  $\rho(x) = h(x - 2)$  in die vorm  $\rho(x) = a \cdot 2^{x-1} + q$ .

**Question 9****Vraag 9**

- 9.1 A tractor bought for R120 000 depreciates to R11 090,41 after 12 years by using the reducing balance method. Calculate the rate of depreciation per annum. (The rate was fixed over the 12 years.)

- 9.1 'n Trekker wat vir R120 000 gekoop is, se waarde neem na 12 jaar tot R11 090,41 af deur die verminderende-saldo-metode te gebruik. Bepaal die jaartlike deprekasielikers. (Die koers was onveranderd vir die 12 jaar.)

- 9.2 Calculate the effective interest rate if interest is 9,8% p.a., compounded monthly.  
 9.2 Bepaal die effektiewe rentekokers indien rente 9,3% p.j., maandeliks saamgestel is.

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- The graph of  $f(x) = x^2 + bx + c$  and the straight line  $g$  are sketched below. A and B are the points of intersection of  $f$  and  $g$ . A is also the turning point of  $f$ . The graph of  $f$  intersects the  $x$ -axis at  $B(3; 0)$  and C. The axis of symmetry of  $f$  is  $x = 1$ .

- 9.3 Calculate the effective interest rate if interest is 9,8% p.a., compounded monthly.  
 9.3 Bepaal die effektiewe rentekokers indien rente 9,3% p.j., maandeliks saamgestel is.

